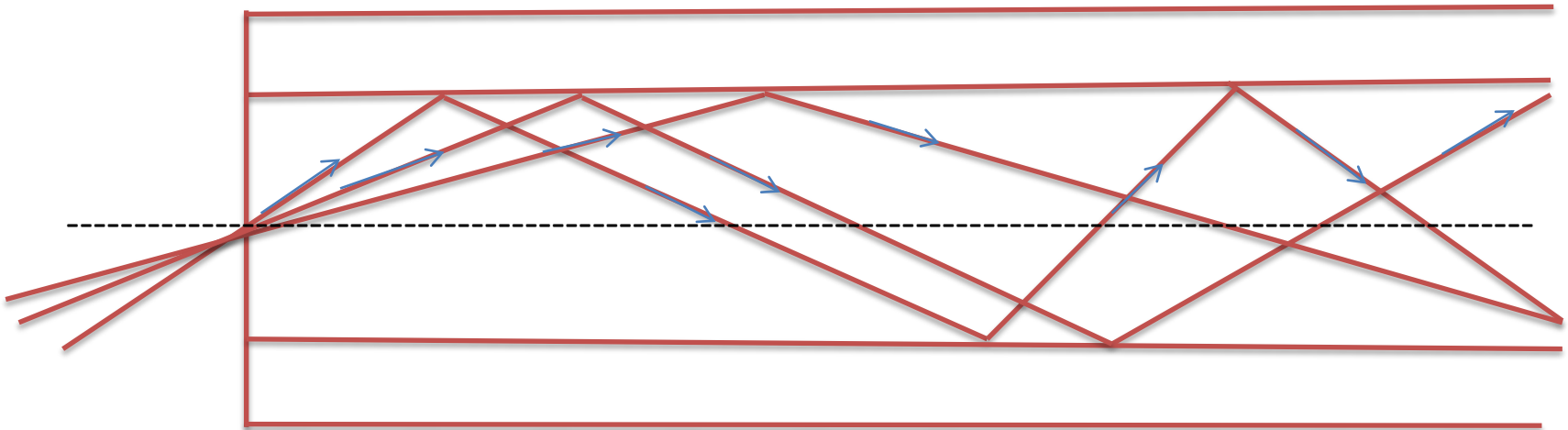
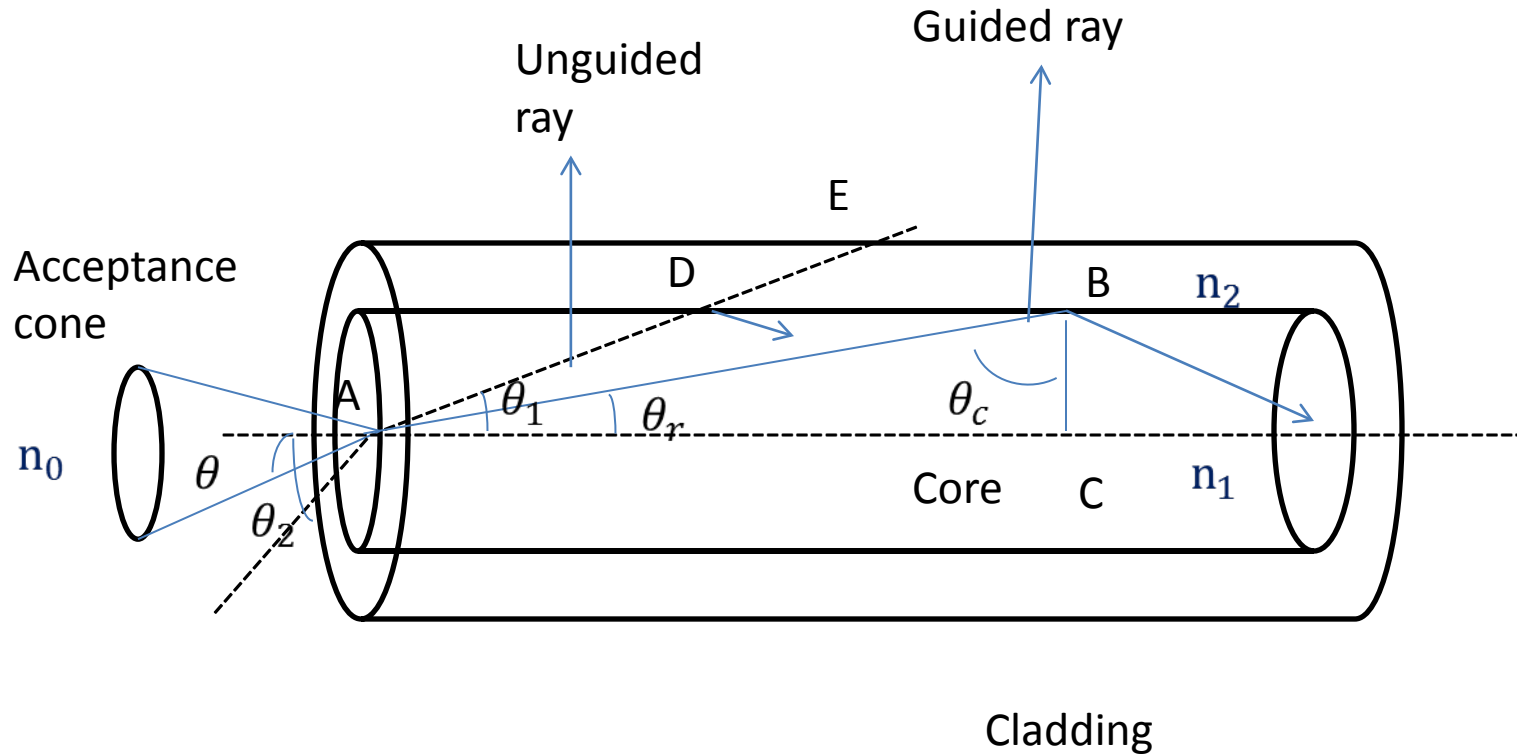


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PROPAGATION OF LIGHT THROUGH AN OPTICAL FIBRE



Critical angle of propagation



$\theta_c = \text{Critical propagation angle}$

From the triangle ABC,

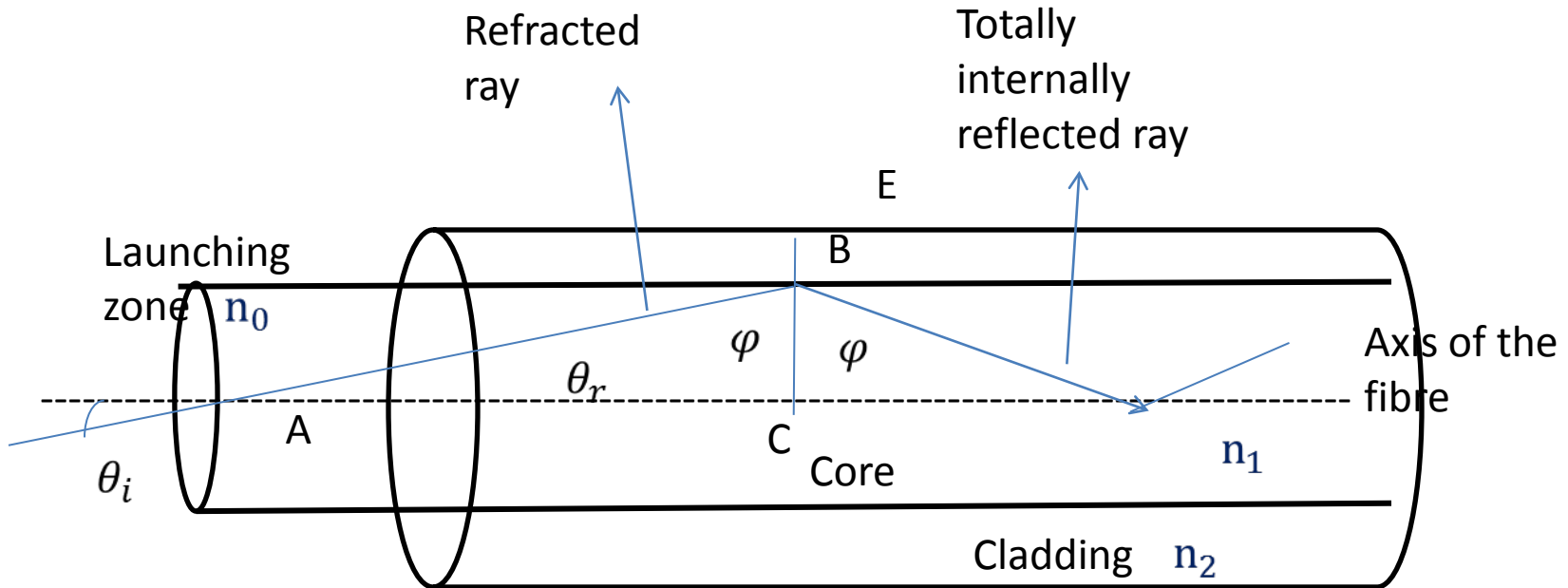
$$\frac{AC}{AB} = \sin \varphi_c \quad \text{also, } \frac{AC}{AB} = \cos \theta_c$$

We know that, $\sin \varphi_c = n_2/n_1$

$$\cos \theta_c = n_2/n_1$$

$$\theta_c = \cos^{-1}(n_2/n_1)$$

Acceptance angle



$\theta_0 = \text{Acceptance angle}$

$$\frac{\sin \theta_i}{\sin \theta_r} = \frac{n_1}{n_0}$$

From triangle ABC,

$$\sin \theta_r = \sin(90^\circ - \varphi) = \cos \varphi$$

$$\sin \theta_i = \frac{n_1}{n_0} \cos \varphi$$

When, $\varphi_c = \varphi$,

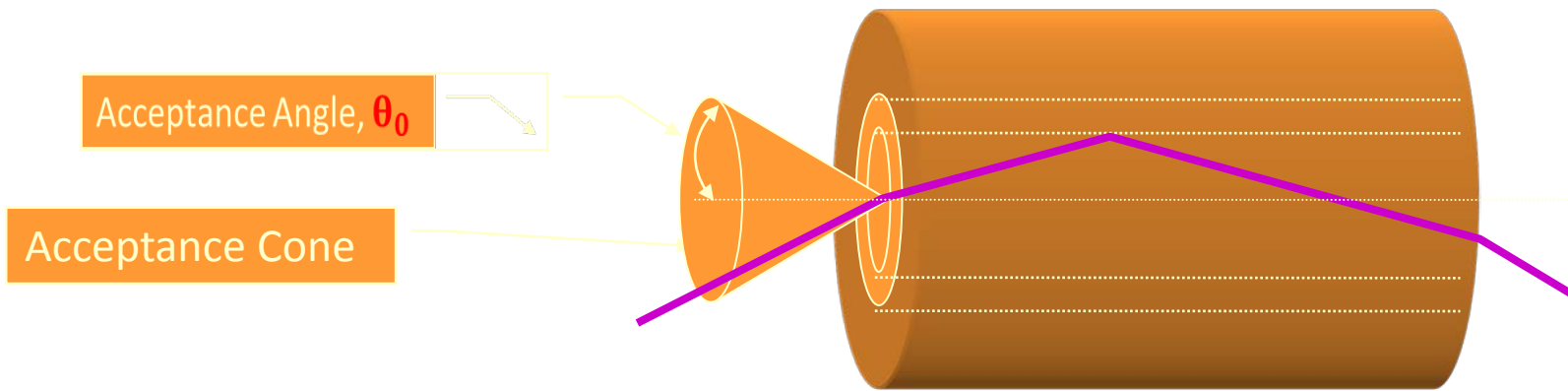
$$\sin \theta_{i \max} = \frac{n_1}{n_0} \cos \varphi_c$$

$$\sin \varphi_c = \frac{n_2}{n_1}$$

$$\cos \varphi_c = \sqrt{(n_1^2 - n_2^2)/n_1^2}$$

$$\sin \theta_{i \max} = \frac{\sqrt{(n_1^2 - n_2^2)}}{n_0}$$

$$\theta_0 = \sin^{-1} \sqrt{(n_1^2 - n_2^2)/n_0^2}$$



06/08/14

FRACTIONAL REFRACTIVE INDEX CHANGE

- The fractional difference between the refractive index of the core and the cladding is known as fractional refractive index change.

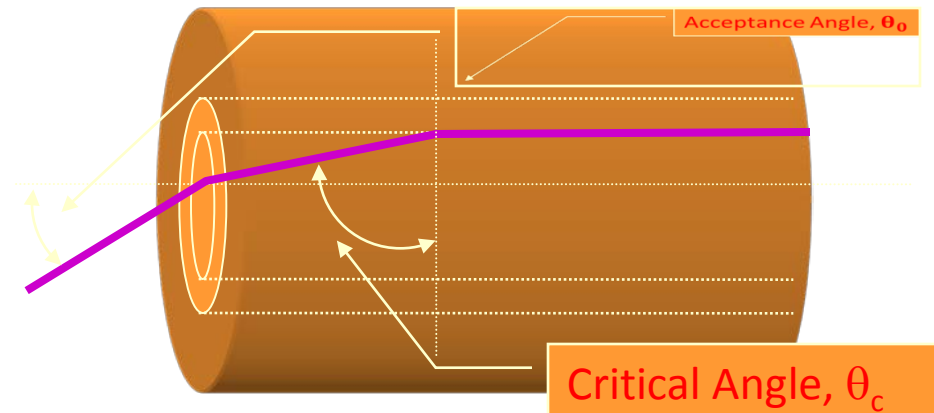
$$\Delta = \frac{(n_1 - n_2)}{n_1}$$

Acceptance Angle and NA

- ◎ The angle of light entering a fiber which follows the critical angle is called the *acceptance angle*, α

$$\theta_0 = \sin^{-1}[(n_1^2 - n_2^2)^{1/2}]$$

- ◎ Numerical Aperture (NA) describes the light-gathering ability of a fiber



n_1 = Refractive index of the core

n_2 = Refractive index of the cladding

NA Derivation

We know that $\sin \theta_2 = \frac{n_2}{n_1}$ because θ_2 is the critical angle

And $n_0 \sin \theta_0 = n_1 \sin \theta_1$ from Snell's Law

$$\text{Now, } \cos \theta_1 = \sin \theta_2 = \frac{n_2}{n_1}$$

We know that $\sin x = \sqrt{1 - \cos^2 x}$ (Rule)

$$\text{Therefore } \sin \theta_1 = \sqrt{1 - \frac{n_2^2}{n_1^2}}$$

$$\text{Since } n_0 = 1 \text{ then } \sin \theta_0 = n_1 \sqrt{1 - \frac{n_2^2}{n_1^2}}$$

$$\text{Therefore the NA} = \sqrt{n_1^2 - n_2^2}$$

Where n_1 = refractive index of the core

n_2 = refractive index of the cladding

$$(n_1^2 - n_2^2) = 2 n_1^2 \Delta$$

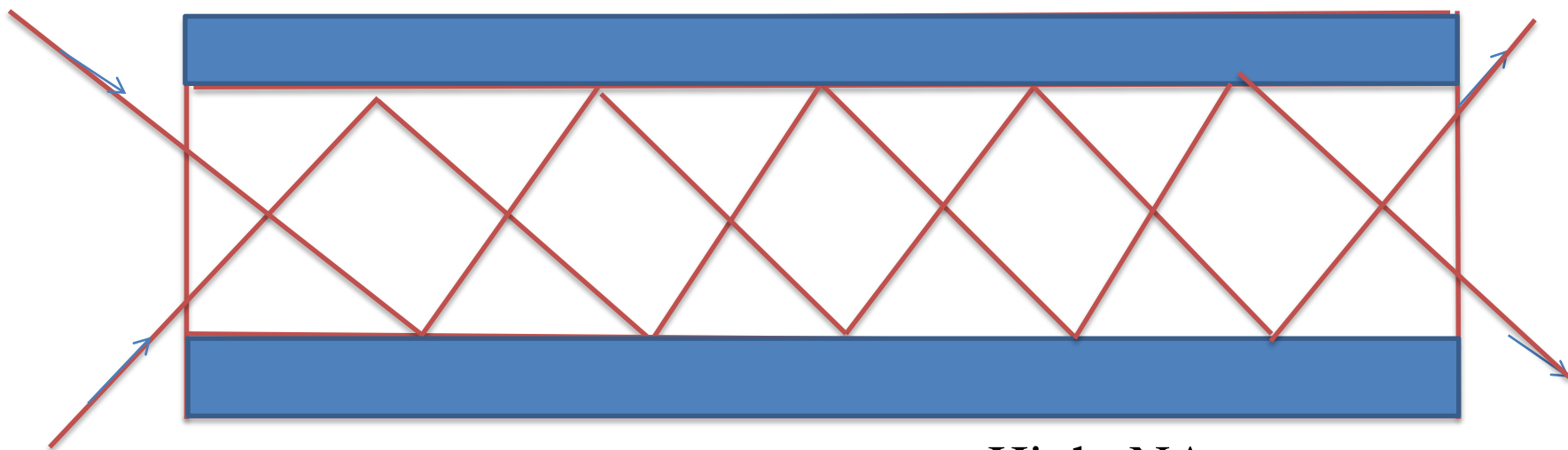
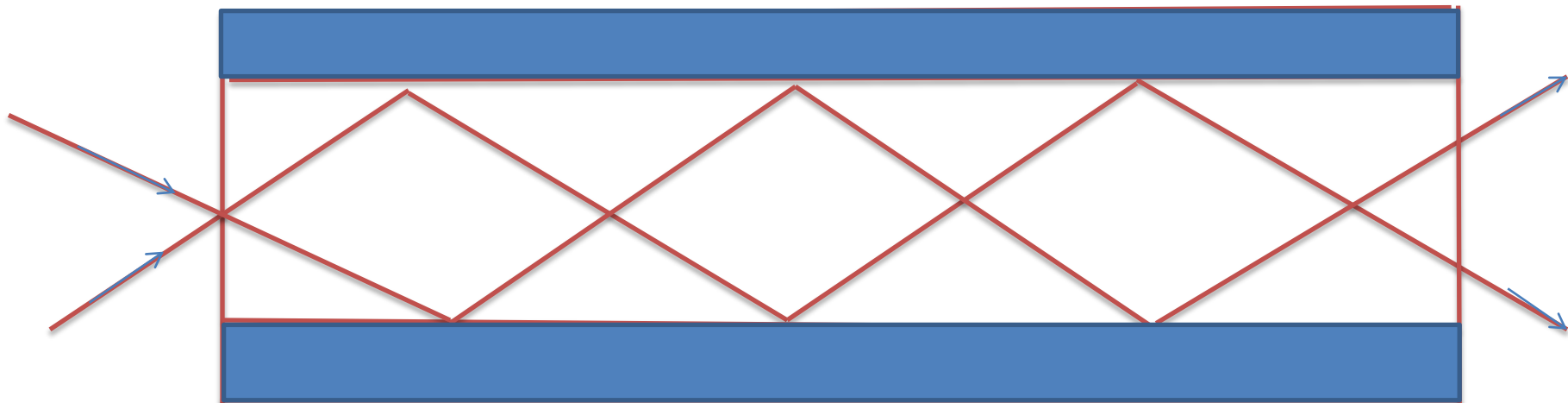
$$\text{NA} = \sqrt{2 n_1^2 \Delta}$$

$$\text{NA} = n_1 \sqrt{2 \Delta}$$

Numerical Aperture

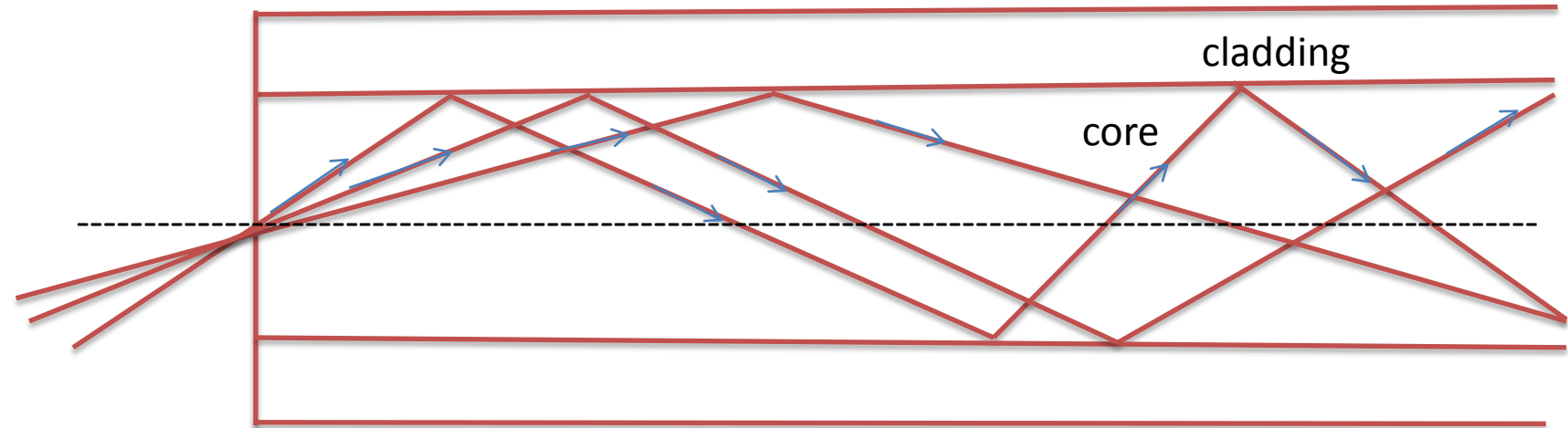
- ⊙ The Numerical Aperture is the sine of the largest angle contained within the cone of acceptance.
- ⊙ NA is related to a number of important fiber characteristics.
 - ⊙ It is a measure of the ability of the fiber to gather light at the input end.
 - ⊙ The higher the NA the tighter (smaller radius) we can have bends in the fiber before loss of light becomes a problem.
 - ⊙ The higher the NA the more modes we have, Rays can bounce at greater angles and therefore there are more of them. This means that the higher the NA the *greater* will be the dispersion of this fiber (in the case of MM fiber).

Low NA



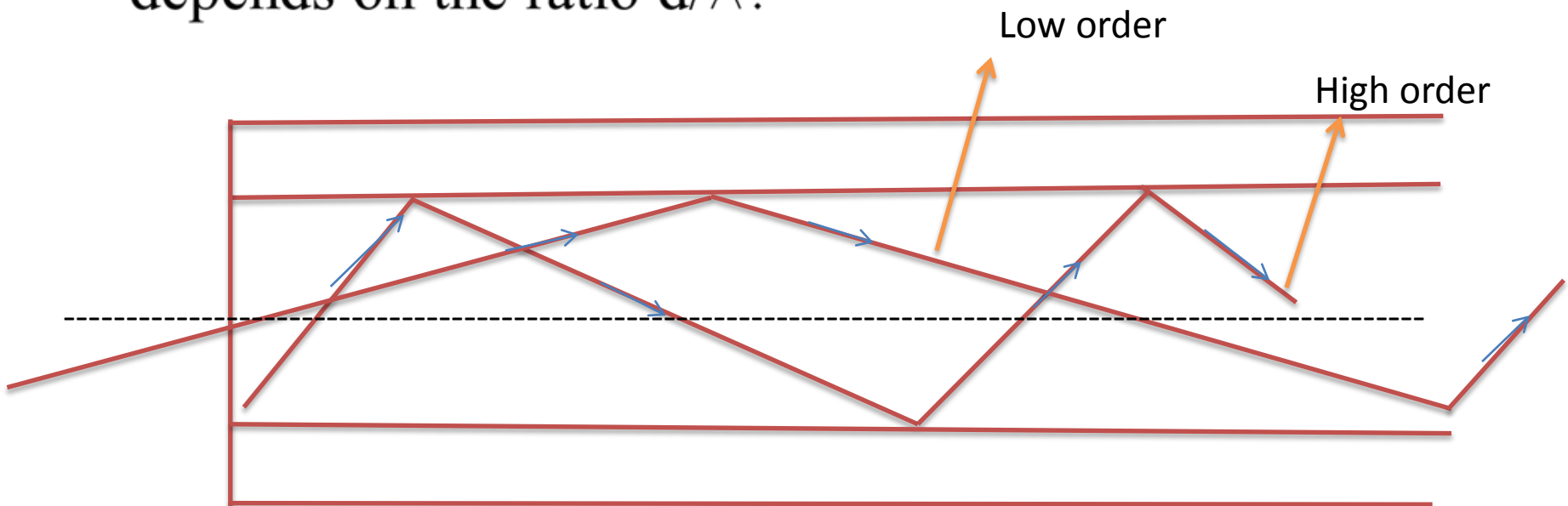
High NA

Modes of propagation



- ❖ Light propagates in optical fibre as electromagnetic wave .
- ❖ Plane electromagnetic wave propagates in free space as a transverse electromagnetic wave .
- ❖ Light propagates through optical fibre in different types of modes such as **TE, TM** and **Hybrid modes**.
- ❖ The waves travelling along optical fibre in **zigzag paths** if it is in phase there exists formation of **constructive interference** and if it is out of phase there exists formation of **destructive interference**.

- The light ray paths along which the waves are in phase inside the fibre are known as **modes**.
- The number of modes increases as θ_c or Δ increases and decreases as core refractive index decreases & depends on the ratio d/λ .





Zero order

The diagram consists of two pairs of parallel horizontal lines. The top pair is positioned above the text 'Zero order', and the bottom pair is positioned below it. A single horizontal line with a right-pointing arrow is located between the two pairs of parallel lines, centered horizontally.

TYPES OF RAYS

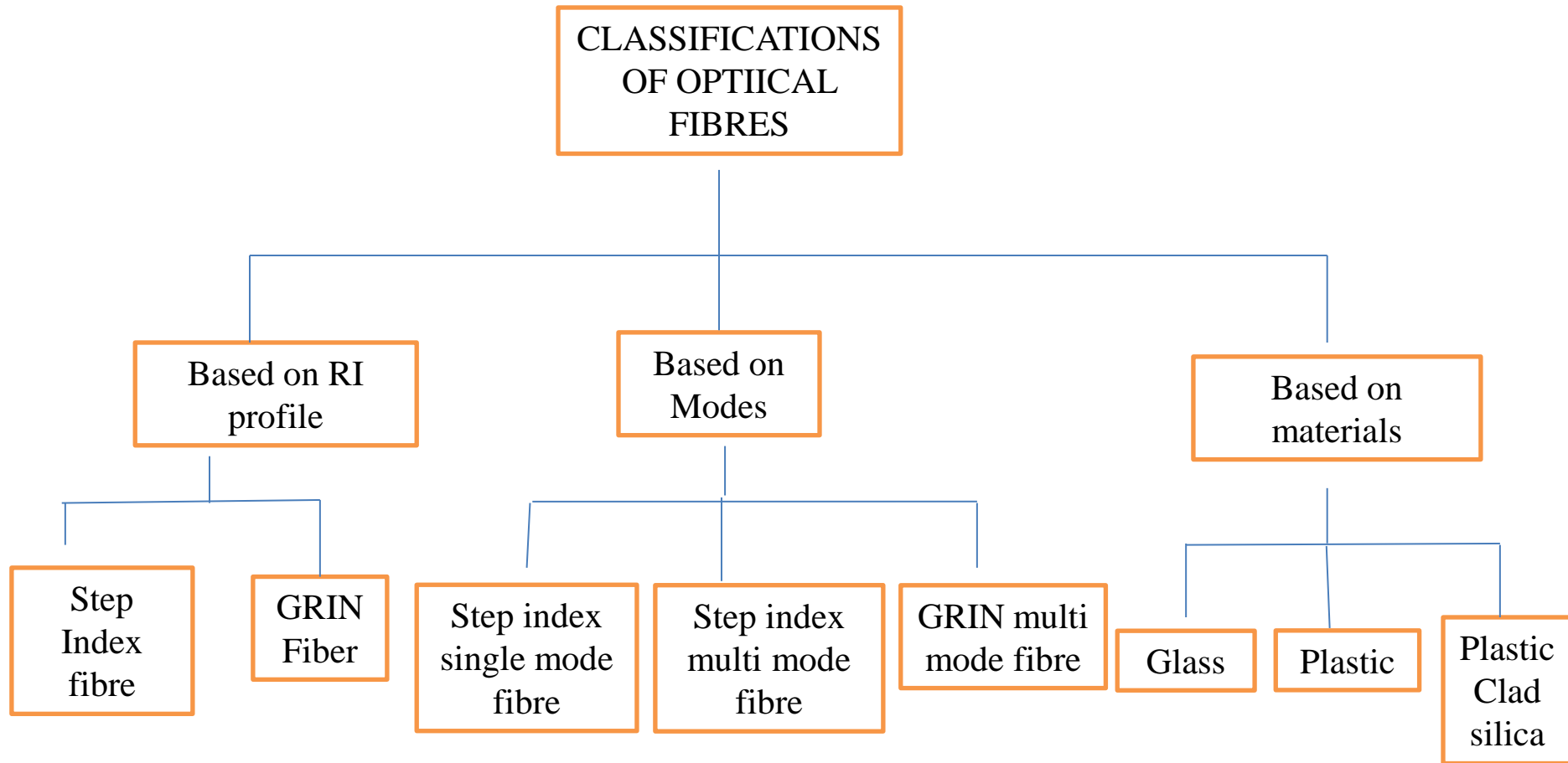
Meridional ray:

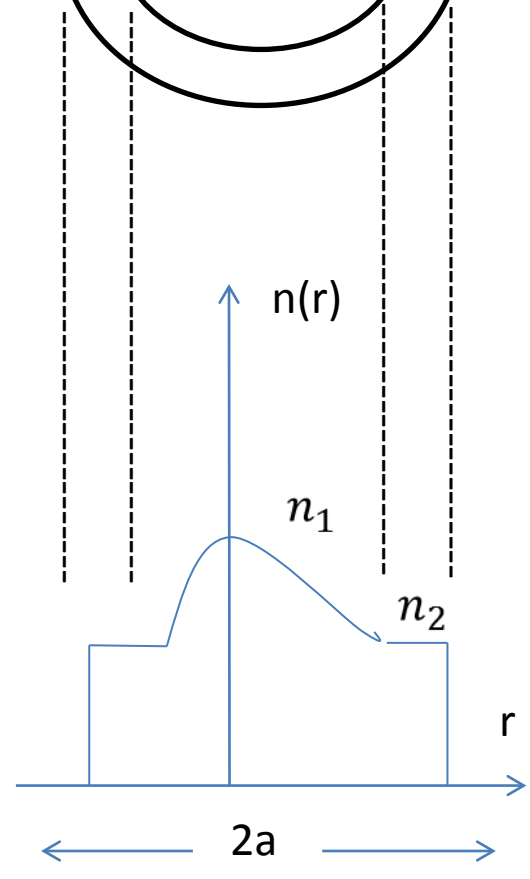
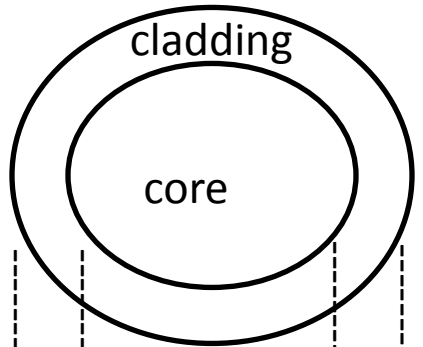
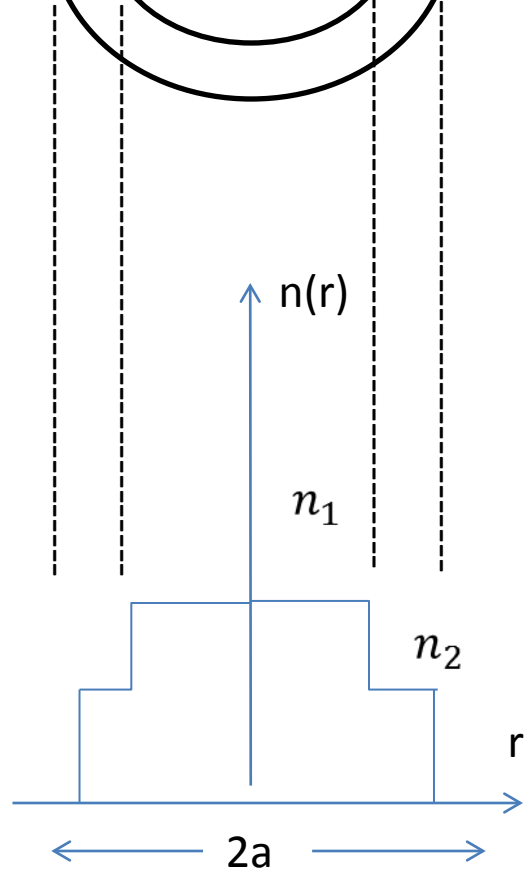
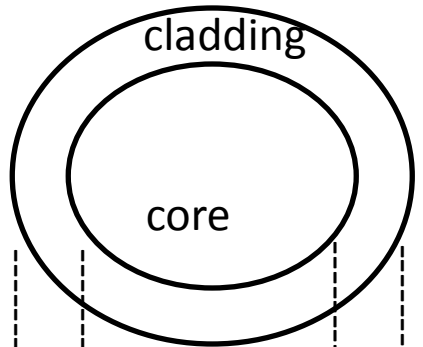
A ray that passes through the optical fiber undergoing total internal reflection is called as **Meridional ray** only in TM or TE modes.

Skew rays:

A ray that passes through the optical fiber in angular helical path is called as **Skew ray** only in either hybrid EH or HE modes.

CLASSIFICATION OF OPTICAL FIBRES





Types of optical fibers

- Single mode
 - only one signal can be transmitted
 - use of single frequency
- Multi mode
 - Several signals can be transmitted
 - Several frequencies used to modulate the signal

Losses in optical fibers

- Attenuation loss
- Dispersion loss
- Waveguide loss